

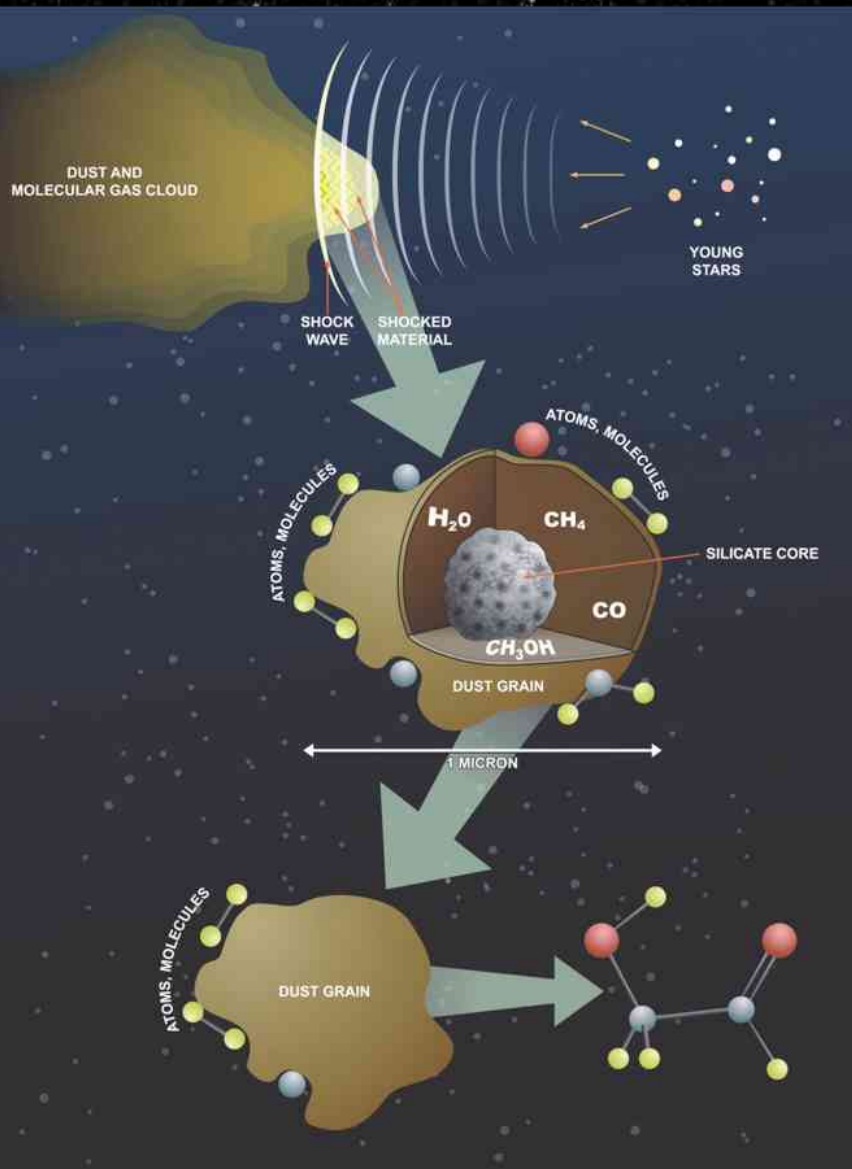


*Computational Approach
to
the Adsorption of H₂
on
Interstellar Surfaces*

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*From the work by
M. Lattalais, F. Pauzat, Y. Ellinger*

Importance of interstellar dust grains



Typical structure of grains

- Silicates, carbone, glaces
- Accretion

Physisorption/Chemisorption

- Depletion of atoms and molecules

Chemical processes

- Grains as reaction support
- Grains as reactants provider

Adsorption on interstellar grains



Centaurus A Radio Galaxy
(VLT KUEYEN + FORS2)

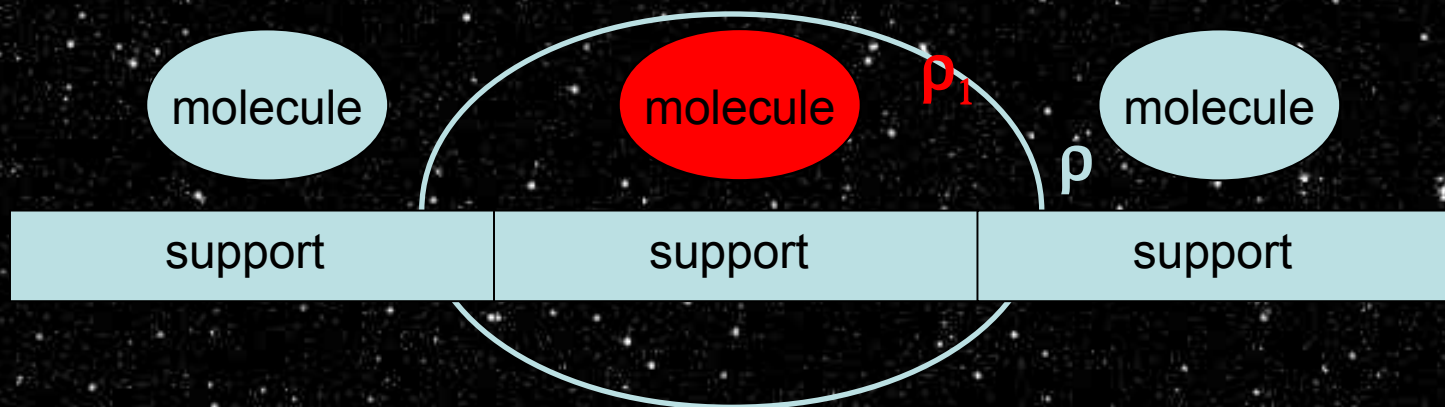


ISOCAM picture of M16, the Eagle nebula

Methodologies

weak interactions with systems of large dimension

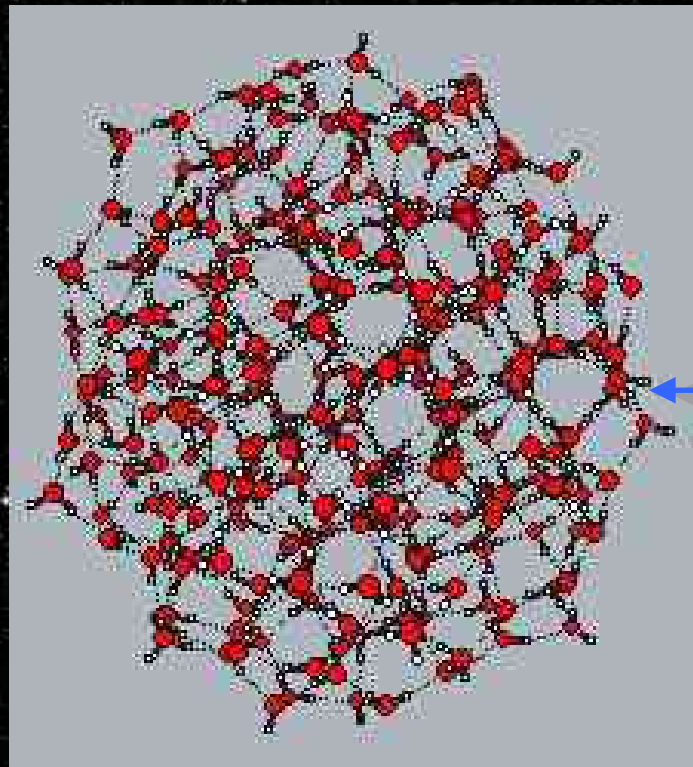
→ DFT : PW91



- « supermolecule » approach: correction BSSE
Tran et al. J. Phys. Chem. B (2002); Heine et al. PCCP (2004)
- KSCED approach
Tran et al. J. Phys. Chem. B (2002)
- Periodic approach: plane waves

Model of solid water surfaces:

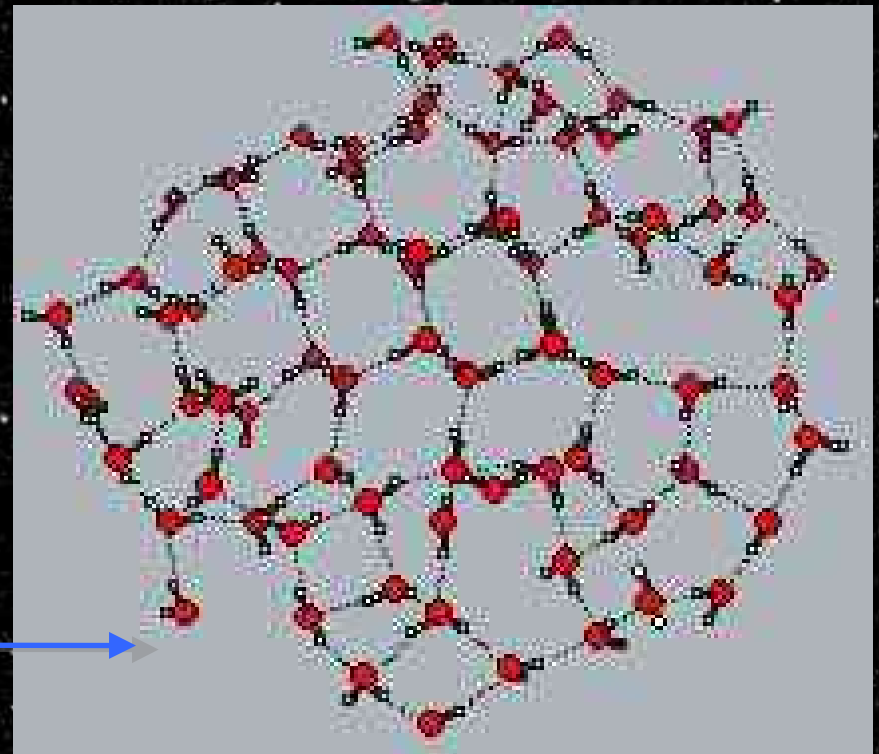
amorphous ice



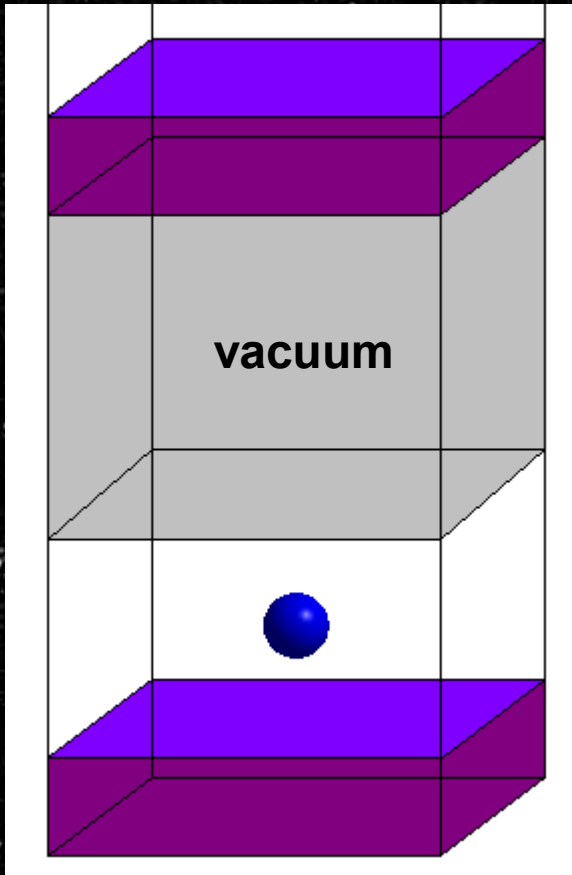
$n=293$

Bulk

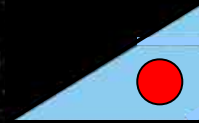
Central
slice



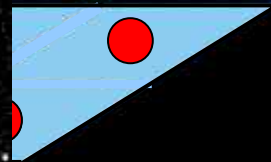
Periodic approach



« super-cell »



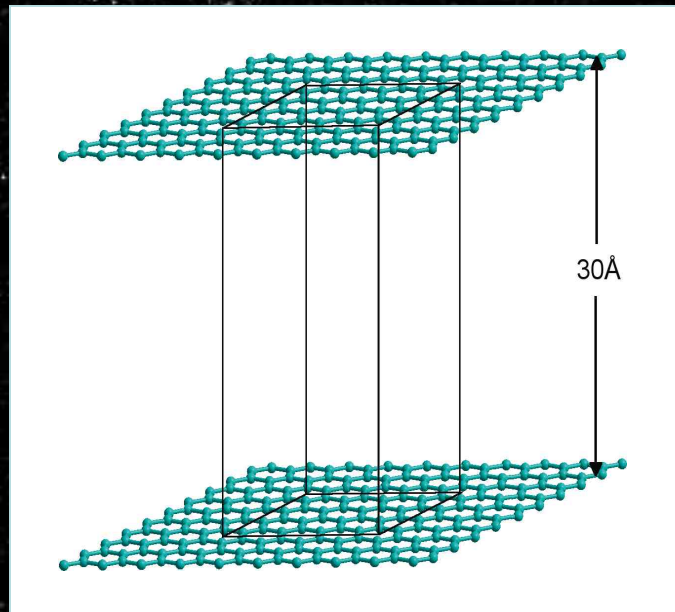
Lateral Interactions



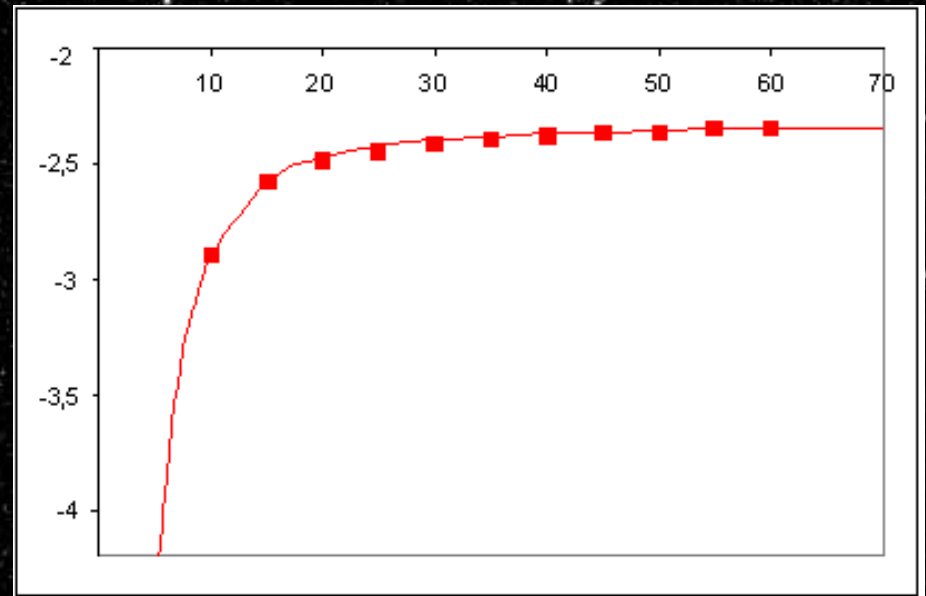
Horizontal replication

Adsorption of H₂ on graphene:

vertical dimension of the cell



hauteur de
la maille (Å)

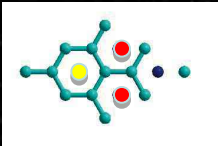


ΔE (kcal/mol)

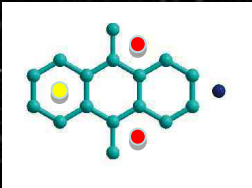
Test of the adsorption energy of a dipolar system: HCN

Adsorption of H₂ on graphene:

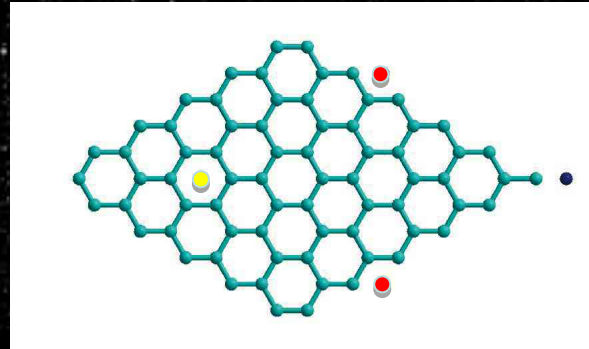
horizontal dimension of the cell



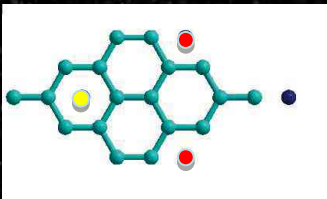
$$d_{\text{H}_2} = 2.46 \text{ \AA}$$



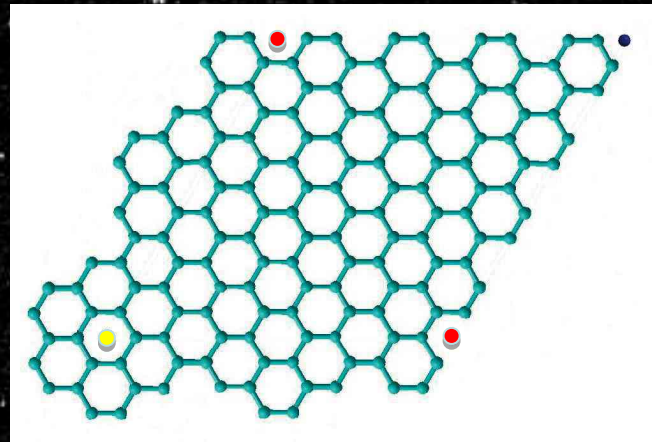
$$d_{\text{H}_2} = 4.26 \text{ \AA}$$



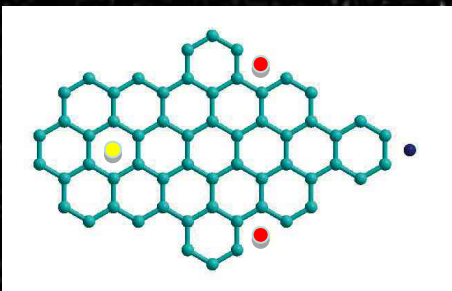
$$d_{\text{H}_2} = 9.84 \text{ \AA}$$



$$d_{\text{H}_2} = 4.92 \text{ \AA}$$



$$d_{\text{H}_2} = 17.04 \text{ \AA}$$

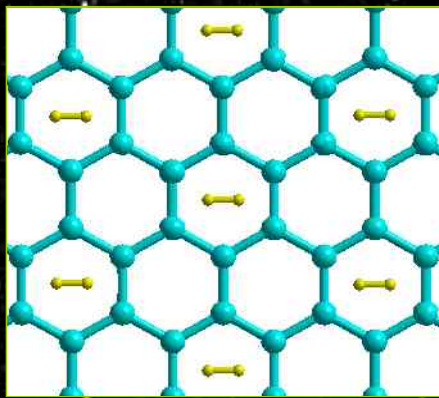
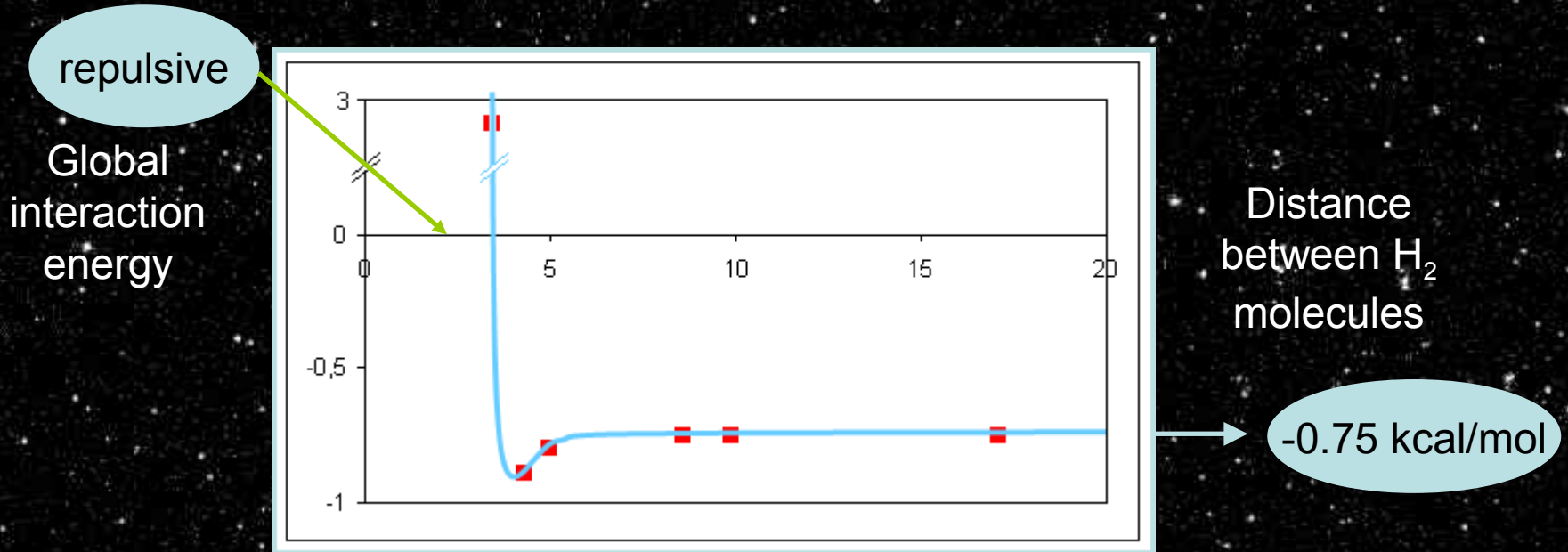


$$d_{\text{H}_2} = 8.52 \text{ \AA}$$

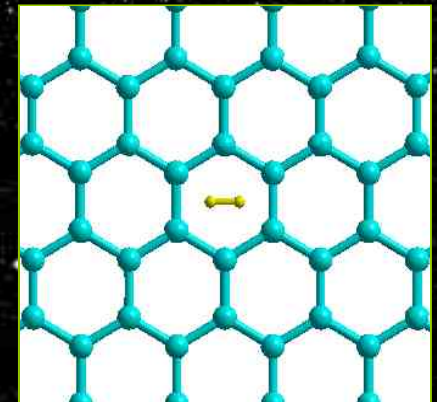
Adsorption of H₂ on graphene

Experimental value: $E = 1,1 \sim 1.2$ kcal/mol

Vidali et al. Surf. Sci. Rep. (1991)



-0.9 kcal/mol



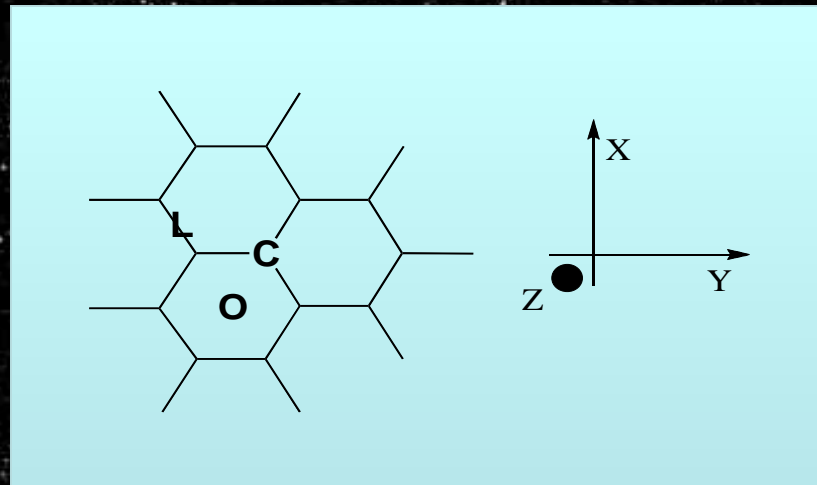
Adsorption of H₂ on graphene

- Position of H₂
- Orientation of H₂

L: middle of a bond

C: carbon atom

O: center of the ring



X: // to plane

Y: // to plane

Z: ⊥ to plane

Adsorption of H₂ on graphene

Table 2. H₂–graphene equilibrium distances, z_m (Å), and corresponding adsorption energies in kcal mol⁻¹; laterally averaged values are given for || to the surface orientations.

Graphene cell	Site	to surface		⊥ to surface	
		z_m	ΔE	z_m	ΔE
Cell 1	O		Rep.		Rep.
	C		Rep.		Rep.
	L		Rep.		Rep.
Cell 2	O	3.26	-0.87	3.40	-0.88
	C	3.60	-0.91	3.56	-0.89
	L	3.52	-0.88	3.47	-0.88
Cell 3	O	3.25	-0.79	3.59	-0.81
	C	3.59	-0.79	3.54	-0.80
	L	3.51	-0.79	3.47	-0.79
Cell 4	O	3.23	-0.74	3.45	-0.77
	C	3.57	-0.72	3.59	-0.76
	L	3.51	-0.73	3.47	-0.76
Cell 5	O	3.24	-0.74	3.38	-0.76
	C	3.52	-0.72	3.41	-0.75
	L	3.50	-0.73	3.53	-0.76
Cell 6	O	3.23	-0.74	3.40	-0.76
	C	3.52	-0.72	3.38	-0.74
	L	3.52	-0.70	3.77	-0.74

Single H₂

Repulsive at short distance

Independent of orientation

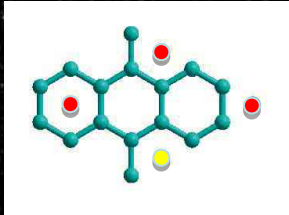
→ H₂ able to roll on the surface

Monolayer of H₂

More stable for inter-H₂ distance close to H₂ dimer

Adsorption of H₂ on graphene:

looking for H₂ dimers

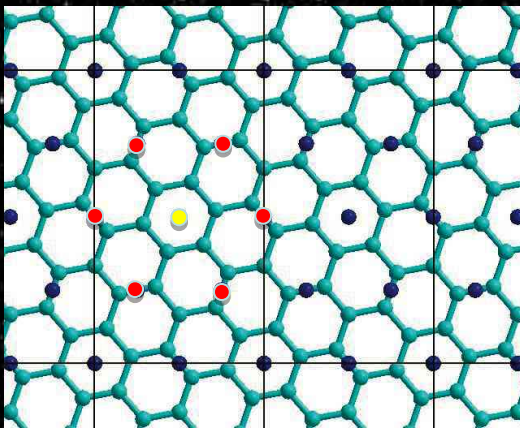


$$d_{\text{H}_2} = 2.46 \text{ \AA}$$

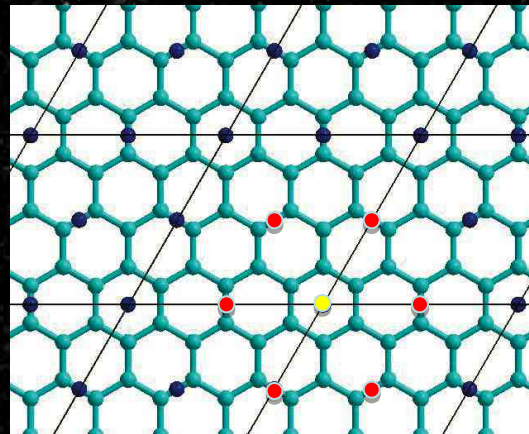
$$\text{H}_2 \text{ dimer: } d_{\text{H}_2} \sim 3.7 \text{ \AA}$$

Cui & Fain, J. Vac. Sci. Tech., (1987)

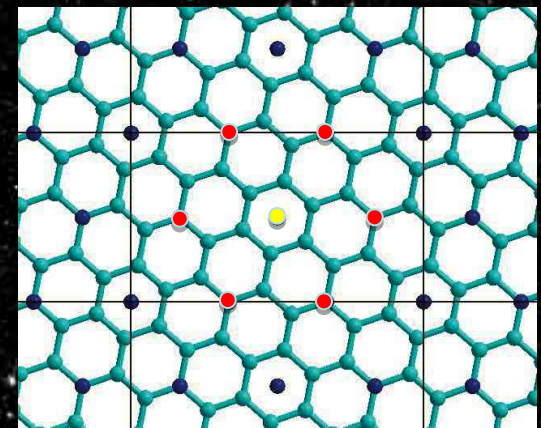
Other arrangements satisfying the hexagonal structure



$$d_{\text{H}_2} = 3.25 \text{ \AA}$$

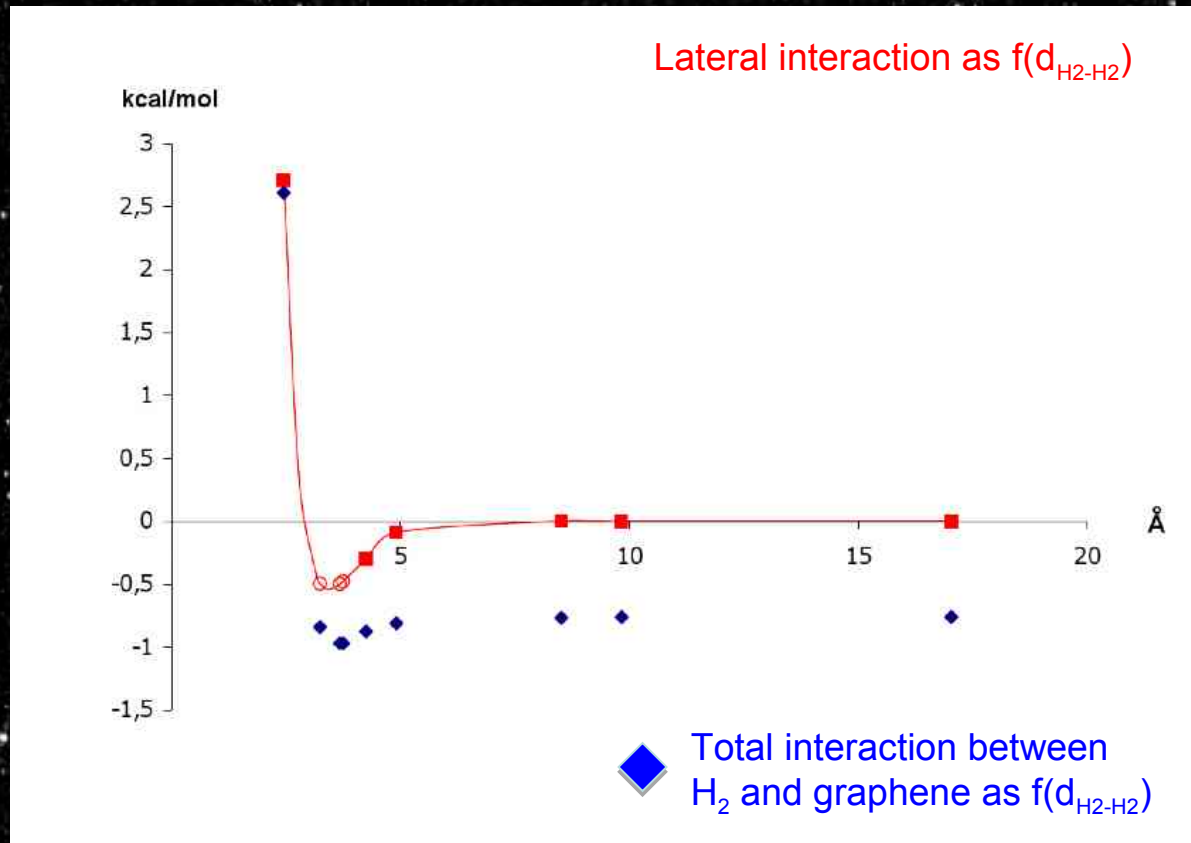


$$d_{\text{H}_2} = 3.69 \text{ \AA}$$



$$d_{\text{H}_2} = 3.76 \text{ \AA}$$

Adsorption of H₂ on graphene: looking for H₂ dimers



Best coverage for inter-H₂ distance close to H₂ dimer

Adsorption of H₂ on graphene

The physisorption energy per molecule in a monolayer is dependent on the distance between adsorbed molecules:

- Physisorption on adjacent rings is not possible
- Best energetical arrangement when $d_{(\text{H}_2\text{-H}_2)} \sim d_{(\text{dimer})}$
- Two situations favored: $\Delta E \sim 1$ kcal/mol
 - ✧ H₂ on top of the ring center associated with
 - H₂ on top of a C
 - H₂ on top of the middle of a CC bond

The best coverage by physisorption in a monolayer gives:

- Surface density of one H₂ per 12 Å² $\longrightarrow N \sim 0.8 \times 10^{15}$ H₂/cm²
- H₂ to C ratio = 1 / 4.6
- Assuming 15-20% of interstellar C locked in aromatic systems
 $\longrightarrow 2 \times 10^{-5}$ of H₂ trapped on PAHs

Adsorption of H₂ on graphene

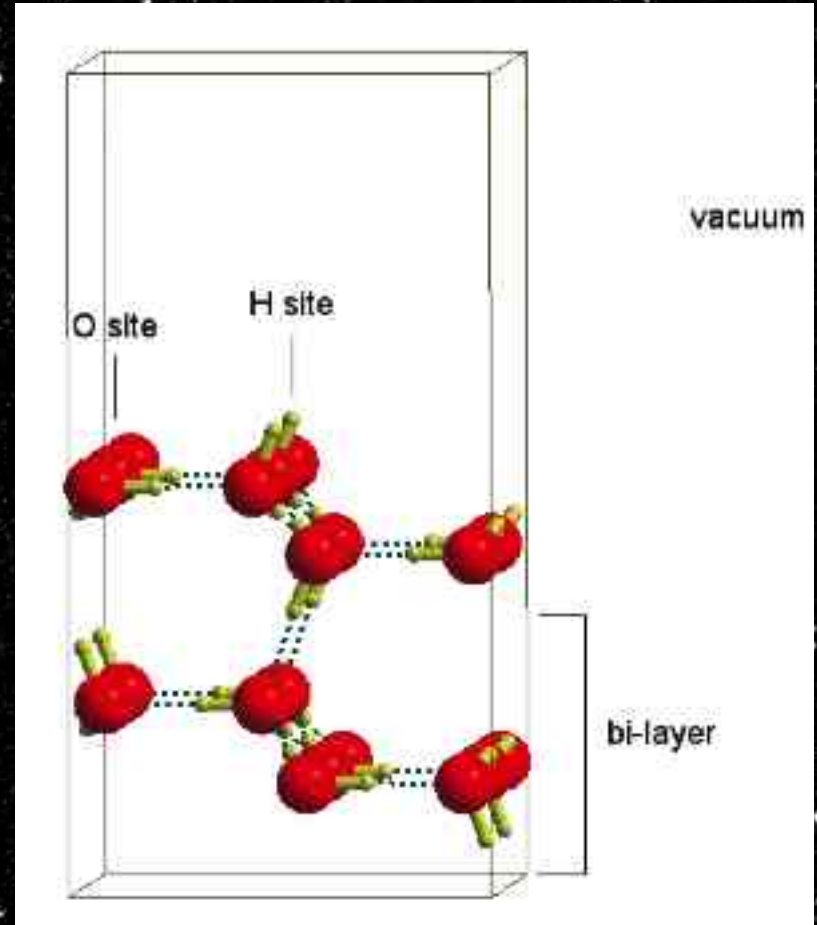
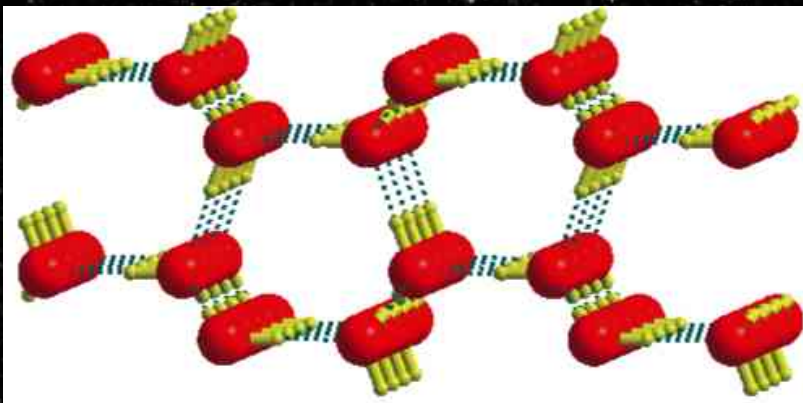
Only a small amount of H₂ can be trapped on PAH-like surfaces but:

- A mattress of H₂ may play the role of **shock absorber**
 - Provide a smooth landing ≠ bouncing back to gas phase
 - Help adsorption of incoming species
- A mattress of H₂ may **modify the physics of the surface**
 - Change vibration frequencies (low energy modes)
- A mattress of H₂ may **modify the chemistry of the surface**
 - Enhance the formation of H₃⁺ where H₂ can be ionized
- A mattress of H₂ may **modify the heating rate of the gas**
 - Low energy IR radiations often neglected in the evaluation of the gas-grain energy balance could release H₂ with greater energy than when adsorption occurred.

Model of solid water surfaces:

Periodic approach: crystalline ice

- Hexagonal ice
 - Apolar
 - Stable slabs



Adsorption of H₂ on hexagonal ice

Hexagonal mesh of H₂ on top of hexagonal ice

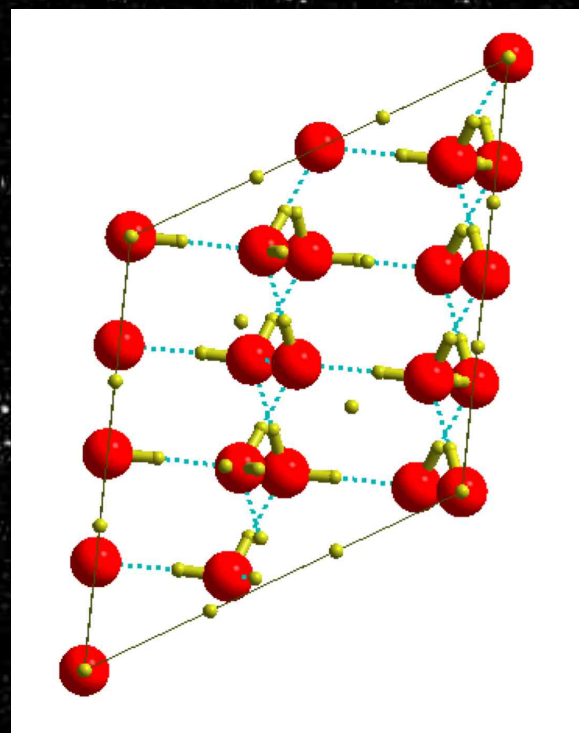
Single H₂

Position: on top of oxygen sites

Orientation: Z favored

$d_{(H_2-H_2)}$	Zm	ΔE
2.79	3.17	-0.14
3.35	3.15	-1.04
4.19	2.89	-1.30
5.58	3.08	-0.90
8.37	2.93	-1.44
16.74	2.93	-1.45

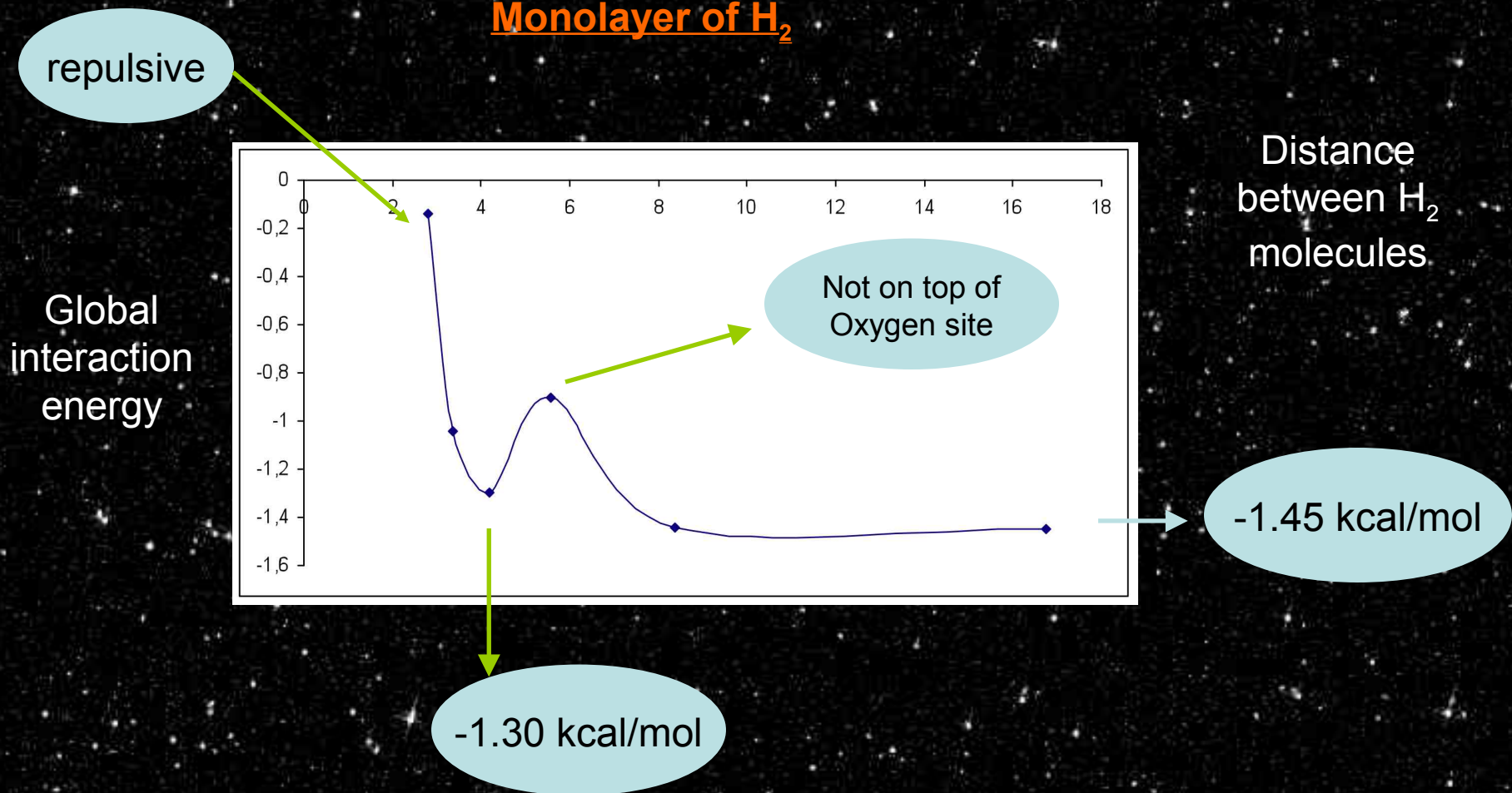
Distance in Å; ΔE in kcal/mol



Adsorption of H₂ on hexagonal ice

Hexagonal mesh of H₂ on top of hexagonal ice

Monolayer of H₂

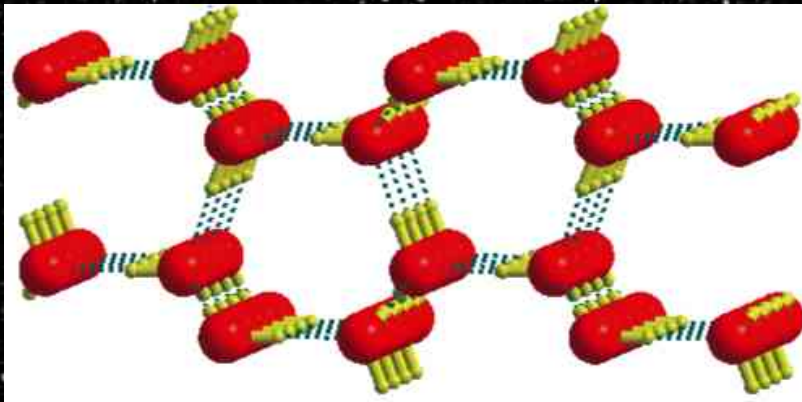


Adsorption of H₂ on hexagonal ice

H₂ on top of oxygen atoms

Rows of H₂

➤ Nearest neighbours are 2 instead of 6



➔ $d_{\text{H-O}} = 4.37 \text{ \AA}$

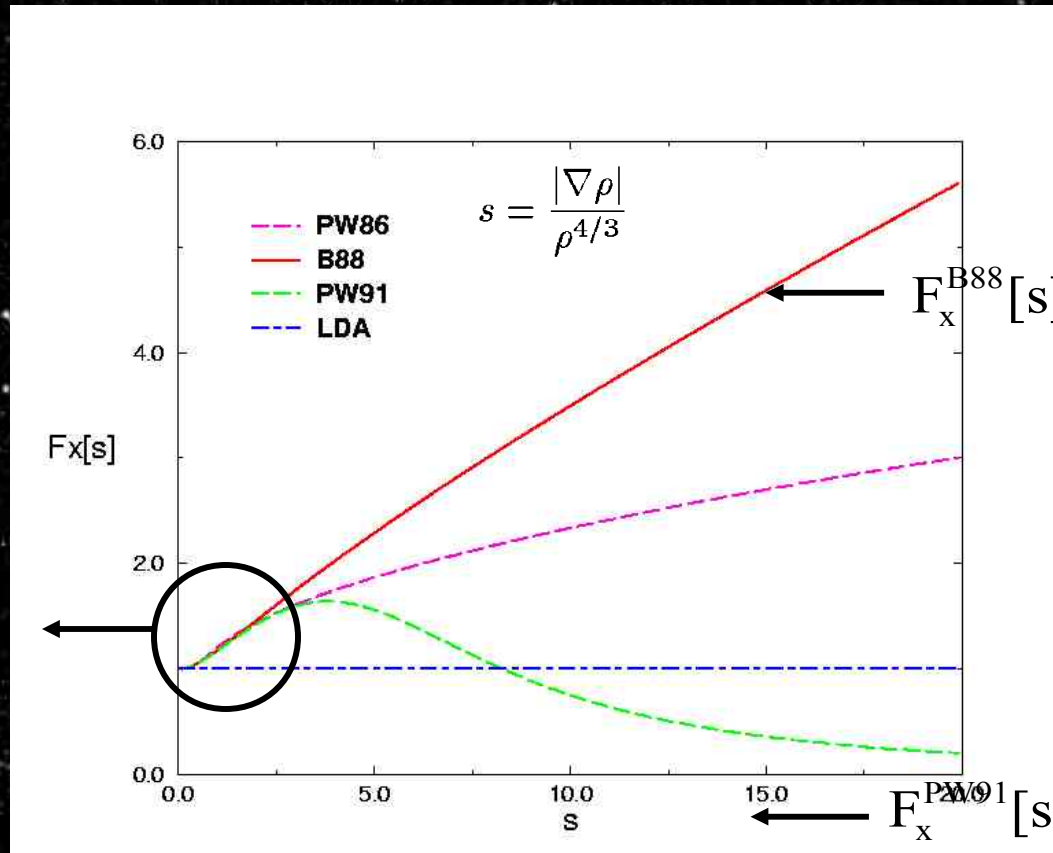
➔ H₂ dimer: $d_{\text{H-H}} \sim 3.7 \text{ \AA}$

$\Delta E = 1.47 \text{ kcal/mol}$

The adsorption energy is larger on the ice than on graphene
but
the coverage should be slightly smaller

Merci à tous

Comportement des fonctionnelles d'échange en fonction du gradient réduit



Comportement « identique » des fonctionnelles d'échange pour les petites valeurs du gradient réduit s

Petit gradient réduit = grande densité

Zone van der Waals:
Grand gradient réduit = petite densité